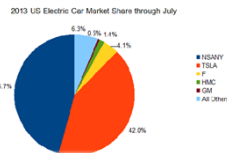
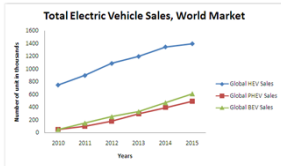
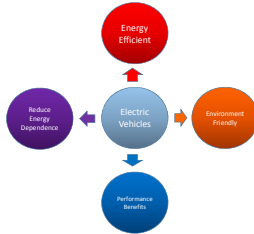


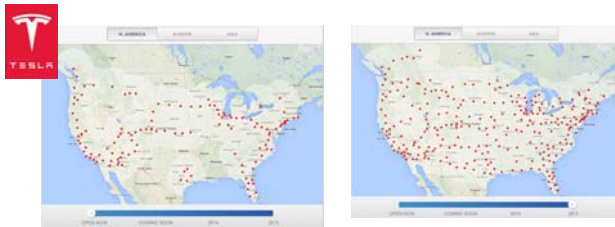
Motivation

Energy Saving and Emission Reduction

- Government Policy (Economic Growth)
- Global Impact (Clean Energy)
- Energy Independence (Price Volatility)
- Climate Change (CO2 Global Warm)



EV Penetration



TESLA super charger placement in NA



Problems with Uncoordinated charging

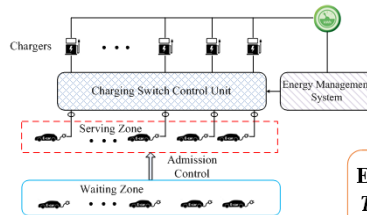
- Power loss
- Voltage variation
- Grid overloading
- Charging station revenue loss
- Customer's charging demand affected

Objective: **coordinate** multi-EV charging to avoid above issues.

Limitations of existing works

- Negotiate charging profiles one day ahead
- Ignore customers' interest
- Single charger only
- Unfair for each customer

System Model



M : Charger number
 Δt : Slot duration
 T : Total slot number
 λ : Arrival rate

EV Charging Task

$$T_i = (i, t_i^a, t_i^d, r_i^{\min}, r_i^{\text{desired}})$$

Utility Model

$U = F_U(R, r_{\min}, r_{\text{desired}})$
 Decision for all incoming EVs at t -th time slot

$$A(t) = \{a_1(t), a_2(t), \dots, a_N(t)\}$$

$a_i(t) = \begin{cases} 1, & \text{the } i\text{th EV is on charge,} \\ 0, & \text{the } i\text{th EV is NOT on charge.} \end{cases}$

$$\sum_{i=1}^{N_t} a_i(t) \leq M$$

Decision for i -th EV at time slot t

$$A_i(t) = \{a_1(t_i^a), \dots, a_i(t_i^d)\}, t_i^a \leq t \leq t_i^d$$

Accumulated served requirement

$$R_i(t) = \sum_{k=t_i^a}^t a_i(k)$$

Utility Maximization Problem

$$\max \sum_{t=1}^T \sum_{i=1}^{N_t} U_i(t) \cdot a_i(t)$$

$$\text{s.t. } a_i(t) \in \{0, 1\},$$

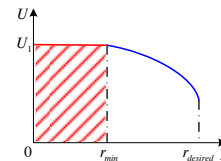
$$\sum_{i=1}^{N_t} a_i(t) \leq M,$$

$$r_i^{\min} \leq R_i(t_i^d) \leq r_i^{\text{desired}}.$$

unseparated random optimization problem

Sample Utility Function

$$U_i(t) = \begin{cases} U_1, & R_i(t) \leq r_i^{\min} \text{ and } t < t_i^d, \\ aR_i(t)^b + c, & R_i(t) \geq r_i^{\min} \text{ and } t < t_i^d, \\ 0, & \text{otherwise.} \end{cases}$$



Admission Control and Scheduling Algorithms

Admission Control

Task Energy State

$$E_i(t) = r_i^{\min} - R_i(t).$$

Flexibility

$$\phi_i(t) = t_i^d - t - E_i(t).$$

modify

$$\Phi_i(t) = \frac{\phi_i(t)}{E_i(t)} = \frac{(t_i^d - t)}{E_i(t)} - 1.$$

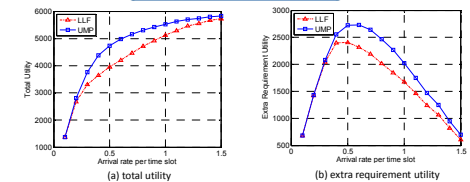
Algorithm 1 MLF Admission Control Algorithm
 1: Input: Energy state E_i and departure time t_i^d of new task i , the set S_{t-1} , current time slot index t .
 2: Output: The decision of whether to admit the new task.
 3: procedure MLFAdmissionControl(E_i, t_i^d, S_{t-1})
 4: Add the new task $[E_i, t_i^d]$ and existing tasks to set S_t .
 5: Get the maximum deadline t_{\max}^d for all tasks in S_t .
 6: for $k = t$ to t_{\max}^d do
 7: Compute flexibility $\Phi_j(k)$ for each task $j \in S_t$.
 8: Get m -th minimum flexibility Φ_{\min}^m .
 9: for Each task $j \in S_t$ do
 10: if $\Phi_j(k) \leq \Phi_{\min}^m$ then
 11: Update $E_j(k+1) \leftarrow E_j(k) - 1$
 12: if $E_j(k+1) = 0$ then
 13: Remove task j from set S_t .
 14: Set finish time $t_j^f = k$ for task j
 15: end if
 16: else
 17: $E_j(k+1) \leftarrow E_j(k)$
 18: end if
 19: end for
 20: end for
 21: for each task j in set S_t do
 22: if $t_j^f > t$ then
 23: return Decline the new task
 24: end if
 25: end for
 26: return Accept the new task
 27: end procedure

Scheduling

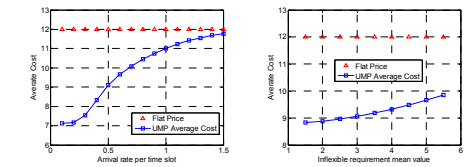
$$I^u(t) = \arg \min_{i \in 1, \dots, N_t} \Phi_i(t).$$

$$I^s(t) = \arg \max_{i \in 1, \dots, N_t} U_i(t).$$

Simulations



The influence of arrival rate on the total and extra utilities.



The influence of avg. r_{\min} and arrival rate on the average cost.

Conclusion

- Classify the charging requirement into non-flexible and flexible parts
- Formulate a utility optimization problem, develop admission control and scheduling algorithms
- Outperform the state-of-the-art solution
- Charging station and customers win-win solution